

# Impact of Network Topology on Delay Anonymity Tradeoff using Optimal Routing

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## ABSTRACT

Providing anonymity to routes in a wireless ad hoc network system from inactive spies is considered. Utilizing Shannon's evasion as a data theoretic measure of namelessness, planning methodologies are intended for remote hubs utilizing recipient coordinated flagging. The achievable rate district for multi access transfers is described under requirements by and large parcel dormancy. The connection between general system throughput and the course secrecy is acquired by attracting an association with the rate-twisting tradeoff in data hypothesis. A decentralized usage of the transferring procedure is proposed, and the comparing execution investigated.

**Keywords:** Routing, non-repudiation, Byzantine failure, MANET, Security, Authentication, Integrity, Non-repudiation, Confidentiality, Key and Trust Management(KTM).

## I. INTRODUCTION

Eavesdropping in of transmissions in a system can uncover fundamental data about the system operation. The transmission times of hubs alone can be utilized to decide source goal sets and the courses of activity stream. Such unapproved data recovery, known as a movement examination assault, bargains client security and furthermore makes it conceivable to dispatch effective assaults, for example, sticking and foreswearing of administration. While cryptography can be utilized to jumble the substance of correspondence, concealing the demonstration of correspondence requires a key upgrade of systems administration conventions.

The test in the outline of unknown conventions is to conceal the directing data from meddlers without disregarding requirements forced by the system. In such manner, the remote medium displays its own particular points of interest and impediments. From

one perspective, it is troublesome for busybodies to learn the transmitting or accepting hubs of an encoded remote transmission, particularly when diverse activity streams are multiplexed at a solitary hand-off. Then again, the mutual medium is band restricted and vulnerable to blurring and obstruction, consequently compelling the system planner.

In this work, we are occupied with outlining unknown transmission and handing-off conventions in remote systems to keep the planning based derivation of courses. We consider movement streams where the normal per parcel delay is limited. It is obvious that altering transmission timetables would bring about loss of system execution. We are keen on the tradeoff between arrange execution, estimated by throughput, and the level of secrecy that can be given. Defer impediments on activity are essential in time delicate applications, for example, media transmission, and in sensor systems, where hub obligation cycles are excessively meager, making it impossible to store

bundles for long stretches. All in all, a limited bundle delay guarantees dependability and anticipates blockage at any hub in the system.

A typical method utilized as a part of low idleness unknown correspondence is the transmission of sham bundles to "cover" the genuine stream of movement. Frameworks that utilization this approach, for example, ISDN Mixes [5] and Web-Mixes [6] expect clients to keep up a steady transmission rate of parcels regardless of whether they have real information to impart or not. This guarantees, to an outer meddler, the watched example of activity is settled regardless of the courses of correspondence. A comparable approach was likewise considered for a remote multihop organizes in [7], where limits were determined on the proficiency of utilizing a settled transmission plan. Albeit settled booking guarantees finish secrecy, the high rate of sham transmissions required makes it vitality wasteful and ugly for vast systems. With regards to transfer speed obliged multihop systems; the accompanying inquiries are yet to be tended to, especially from a hypothetical viewpoint. In the event that the portion of sham transmissions were to be settled, what is the base postponement caused at a Mix? In the event that general system inactivity was to be limited, what is the greatest secrecy that can be accomplished? All the more by and large, what is the connection between the achievable anonymity?

In this work, we address these issues utilizing a hypothetical foundational approach with accentuation on remote multihop systems. The way to noting these inquiries is to evaluate the namelessness achievable in a multihop arrange. Measurements of obscurity that have been proposed [8, 9] with regards to Mix systems are regularly in light of secrecy sets of individual bundles. The namelessness set alludes to the gathering of all conceivable source-goal sets of a watched bundle. While these measurements evaluate the secrecy gave by Mixes to singular bundles, they don't have any significant bearing to floods of parcels and can't be utilized to quantify the general namelessness of courses in the system. The approach

we receive is spurred by data theoretic mystery spearheaded by Shannon through the idea of evasion [10]. Prevarication has along these lines been utilized to quantify the mystery of messages transmitted over channels, for example, wiretap channel [11] and communicate channels [12], where the objective was to expand dependable data rate while giving a given level of mystery. We utilize quibble to gauge the secrecy of the courses in a system, and the issue we deliver is to limit arrange dormancy while ensuring a given level of namelessness.

## II. RELATED WORK

Hiding directing data from spies is traditional, in spite of the fact that with a couple of special cases [1], [2], it has basically been connected to Internet movement over a wired system. Most Internet applications give namelessness utilizing an idea known as Mixing, spearheaded by Chaum [3]. A Mix is an exceptional hub or server that gathers bundles from different clients and transmits them in the wake of adjusting the substance and irregular postponing with the end goal that, it is difficult to coordinate an approaching and active parcel at a Mix. Since a solitary Mix stands a shot of being traded off, a (perhaps irregular) arrangement of Mixes is intervened amongst sources and goals to secure against dynamic methods for picking up induction.

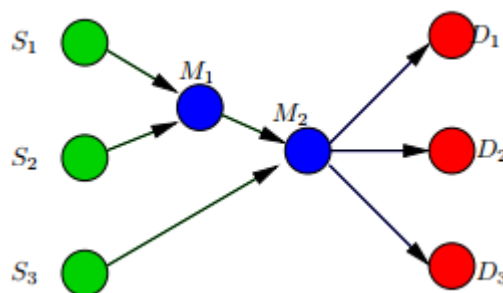
Ensuing to Chaum's commitment, many enhanced clustering procedures [4], [5] have been intended to deal with various kinds of movement investigation assaults [6]. While the Mix based approach is valuable for Internet applications, for example, mysterious remailers and web perusing [7], an investigation of stream connection assaults [8] demonstrated that when long floods of bundles with dormancy limitations are sent through Mixes, it is conceivable to associate approaching and active streams impeccably. In remote systems, an elective answer for Mixing is cover movement [9], [10], where, regardless of the dynamic courses, the transmission calendars of all hubs are settled apriori. On the off chance that a hub does not have any information parcels, the

transmission plan is kept up by transmitting sham bundles. The settled planning system, dissected in [9] gives finish namelessness to the courses consistently. Imperatives on activity idleness have in any case, not been considered. Besides, a settled planning methodology requires synchronization over all hubs and expects a consistent system topology, which isn't down to earth in specially appointed remote systems. Ensuing to the first work by Chaum, the idea of Mixing has been effectively used in outlining unknown remailers, for example, Mixmaster and Mixminion [2, 14], and mysterious low-idleness frameworks, for example, Tor [15]. From a framework plan point of view, Mix based mysterious frameworks extensively fall under two classes: mix cascades and shared frameworks. In a Mix-course, a devoted arrangement of servers is utilized to blend activity streams, and each bundle is transmitted through the predefined set of Mix servers until the point when it achieves the expected goal. Cases of Mix-course frameworks incorporate JAP [6] and Reliable [16]. A distributed framework does not have committed Mix servers, and each client autonomously blends approaching activity. The courses are along these lines not foreordained at sources. Free net [17] and Tarzan [18] are cases of distributed anonymizing frameworks. The approach we embrace is like distributed frameworks in spite of the fact that we don't consider the ideal plan of courses to expand secrecy. The upsides of one approach versus the other are all around outlined in [19]. Some anonymizing frameworks that don't utilize Mixes incorporate DC-nets [20] and Crowds [21].

### III. SCHEDULING STRATEGY

Our way to deal with planning booking calculations for multihop systems is inspired by unknown distributed frameworks [18], where every hub, aside from transmitting its own particular information bundles goes about as a middle of the road transfer that blends approaching activity from different hubs. In the blending approach, each moderate hub in a course would utilize clustering methodologies to alter

the planning example of arriving bundles, in this way adding to the general system inertness. Be that as it may, this would not be essential, and relying upon the level of obscurity required, it will be adequate for a littler subset of hubs to alter transmission plans utilizing clumping systems while the rest of the hubs hand-off parcels as and when they arrive. At the end of the day, it is conceivable to "uncover" a few segments of the courses without disregarding the anonymity imperative. This is a key instinct that we misuse in utilizing inertness for anonymity.



**Figure 2:** Example: Sources  $S_i$  transmit packets to destinations  $D_j$  through  $M_1, M_2$

Think about the case in Figure 2, where sources  $S_1, S_2, S_3$  are similarly prone to transmit to goals  $D_1, D_2, D_3$ . On the off chance that both the middle of the road transfers  $M_1, M_2$  went about as Mixes by utilizing clumping calculations, the system would have most extreme secrecy, since parcel timing would not uncover any data about source-goal sets. Since  $M_1$  and  $M_2$  change the planning example of the bundle streams, the net overhead in inertness for the courses from  $S_1, S_2$  would be the aggregate of grouping delays at  $M_1$  and  $M_2$ . It is however simple to see that since  $M_2$  blends the streams from each of the three sources, enabling hub  $M_1$  to transfer parcels without altering transmission timetable would not bargain the obscurity. All things considered, the aggregate inactivity overhead can be lessened (since just  $M_2$  adds to the deferral). In more broad terms, by picking the ideal arrangement of transfers to adjust their transmission plans (hereafter alluded to as secret

transfers), overhead in inactivity can be limited without diminishing anonymity

Our technique includes two principal outline issues: plan of planning methodology for an incognito transfer and the ideal choice of transfers to be clandestine in a session. The planning methodology intended for an incognito hand-off ought to guarantee that given an active stream of parcels, each approaching stream is similarly prone to have been the wellspring of bundles. The plan is however restricted due by the portion of sham transmissions permitted. The ideal choice of undercover transfers relies upon the courses of the session, the level of obscurity required, and the postponement brought about at every clandestine hand-off. We propose a randomized determination system, where the arrangement of incognito transfers is picked as an irregular capacity of the session and the coveted level of secrecy. We at that point enhance the arbitrary circulation to get least inertness for the coveted level of anonymity.

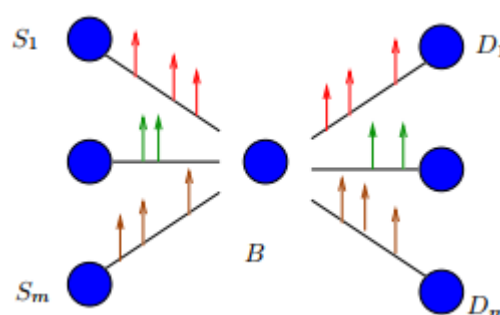
In the rest of this segment, we depict the planning system for a secret transfer and portray the postponement caused at a solitary hand-off given the division of sham transmissions permitted. In Section 4, we streamline the choice methodology and describe the connection amongst namelessness and the achievable system inactivity.

### 3.1 Covert Relaying

The task of the covert relay is to muddle the takeoff times of arriving bundle streams, so that by examining entry and flight times of parcels, a busybody is unequipped for distinguishing a specific information yield match precisely. Consider a transfer as appeared in Figure 3. Given the transmission times of parcels on the connections  $\{(S_i, B)\}$  and  $\{(B, D_i)\}$ , each way  $\{(S_i, B, D_j)\}$  ought to be similarly likely. From the meaning of the transferring system, we realize that the outline is liable to the accompanying conditions:

1. The handing-off system ought to be causal (as given in (1)).
2. Information bundles can't be dropped.

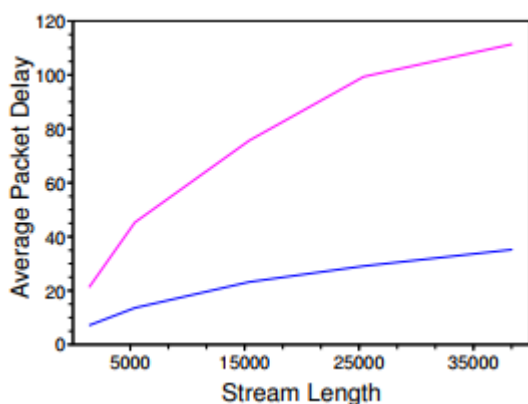
The most extreme sham transmission rate is  $\lambda$ . The system we propose is an adjustment of the standard grouping methodology of Mixes utilizing a settled extra rate of sham transmissions. The requirement for presenting sham parcels can be shown utilizing the accompanying case. Consider a blend utilizing the standard clumping procedure on parcels touching base from two sources; the blend holds up until the point that one bundle lands from the two sources previously transmitting them together. In the event that landings are disseminated as autonomous Poisson forms, the flight procedure for each stream is comparable to that of a  $M/M/1$  line with entry rate  $\lambda$  and benefit rate  $\lambda$ . For a  $M/M/1$  line, the mean holding up time is given by  $1/\lambda - \mu$  where  $\lambda$  is the landing rate and  $\mu$  is the administration rate. In this way, when bundles from two sources touch base at level with rates, the normal deferral of transmitted parcels would increment inconclusively as the length of the parcel stream increments. This can be seen in Figure 4, where the normal bundle delay versus the length of the parcel stream is plotted for Poisson and Pareto dispersed timetables, when the standard clustering methodology is connected.



**Figure 3 :**  $m \times 1$  Relay Node: Sources  $S_i$  transmits packets to  $D_i$  through  $B$

In the accompanying article we configuration booking methodologies which exhibit that by properly including sham transmissions, the normal postponement can be decreased altogether and the most extreme bundle deferral can be limited, notwithstanding for a boundless stream of parcels.

2 × 1 Relay: Consider a hand-off hub sending parcels from 2 sources (Figure 3 with m = 2). In the event that a bundle from source 1 lands to a void hand-off, it holds up until the point that a parcel touches base from source 2 for a greatest of  $\Delta^*$  seconds. In the event that a parcel touches base from source 2 preceding the  $\Delta^*$  - second time frame terminates, at that point the two bundles are arbitrarily reordered and transmitted together in a cluster. On the off chance that no bundle touches base from source 2 preceding the  $\Delta^*$  - second time span lapses, at that point a spurious parcel is produced and transmitted alongside the lined bundle in a cluster. For the rest of the course, the created sham bundle is dealt with as though it landed from source 2 and is transmitted until the goal hub. Amid the holding up period, if another parcel touched base from source 1, at that point a parallel  $\Delta^*$ -second sitting tight period for that bundle is begun momentarily. This guarantees there is no lining delay and the most extreme deferral caused by any parcel is limited by  $\Delta^*$  seconds. The methodology is comparable if a bundle from source 2 landed to an unfilled line. It is anything but difficult to see that each transmission by the transfer is a clump of two bundles, one for every goal. In this manner, the timetables of both active streams from the hand-off are indistinguishable, and it is inconceivable for a spy to distinguish the information yield match notwithstanding for long surges of bundles.



**Figure 4:** Average per packet delay for a relay node using simple threshold mixing strategy on two packet streams without dummy transmissions.

The rate of dummy transmissions can't surpass  $\lambda$ , and the postpone  $\Delta^*$  is picked with the goal that the imperative is fulfilled. Despite the fact that the most extreme sitting tight period for any bundle is  $\Delta^*$  seconds, the normal overhead in dormancy would be entirely not exactly  $\Delta^*$ . At the point when the information forms are Poisson conveyed, the accompanying hypothesis portrays the estimation of  $\Delta^*$  and the normal idleness overhead, given the rate of sham transmissions  $\lambda$ .

#### IV. NETWORK LATENCY FUNCTION

At the point when obscurity  $\alpha = 0$ , the base normal deferral in a session S is brought about when none of the transfers are undercover. This base postponement for S is the normal transmission delay on the courses of the session, since all hubs only forward bundles instantly upon landing. For a given session S, we mean this amount by  $\Delta_t(S)$ . As indicated by definition 2 the general system inactivity when namelessness  $\alpha = 0$  is given by the normal postponement over sessions:

$$\Delta(\alpha = 0) = \mathbb{E}(\Delta_t(S)) = \mathbb{E}\left(\sum_i \Delta_t(P(i))\right).$$

At the point when the transfers in a subset B are incognito, the expansion in inactivity relies upon the postponement acquired at every clandestine hand-off in B because of the booking methodology, which thus, relies upon the quantity of ways that contain the hand-off. Let  $\Delta_c(S, B) = (\Delta_c 1(S, B), \cdot, \Delta_c |S|(S, B))$  speak to the expansion in normal postponements from sources to goals for the ways in session  $S = (P(1), \cdot, P(|S|))$ , when hubs in B are covert. Therefore

$$\Delta(S, B) \triangleq \Delta_t(S) + \sum_{i=1}^{|S|} \Delta_i^c(S, B)$$

is the total latency in the session. From (2), we know that

$$\Delta_i^c(B) = \sum_{B \in B \cap P(i)} \delta(B, \lambda), \quad (6)$$

#### V. LATENCY ANONYMITY TRADEOFF

Given the estimations of  $\alpha$  and  $\lambda$ , utilizing the portrayal of system inactivity and spy deduction, the

appropriation  $q\alpha(B|S)$  can be enhanced utilizing a savage power seek over the likelihood simplex. In any case, this technique is computationally serious, and unreasonable to perform for substantial systems. The accompanying outcome describes the advancing dissemination and least system inactivity as a component of  $\alpha$ , utilizing an outstanding twisting rate enhancement in information theory.

Theorem 3 Let  $d : \mathcal{P} \times \mathcal{P} \rightarrow \mathbb{R}$  s.t

$$d_\lambda(S, \hat{S}) = \begin{cases} \Delta^c(S, B) - \Delta_t(S) & \exists B \text{ s.t. } \hat{S} = T(S, B) \\ \infty & \text{o.w.} \end{cases} \quad (7)$$

Then, a network latency  $\Delta(\alpha, \lambda)$  is achievable with average anonymity  $\alpha$  and dummy transmission rate  $\lambda$  if

$$\Delta(\alpha, \lambda) - \Delta(0) \geq D(H(S|L)(1 - \alpha)),$$

where  $D(r)$  is the Distortion-Rate function:

$$D(r) = \min_{q(\hat{S}|S): I(S; \hat{S}|L) \leq r} \mathbb{E}(d_\lambda(S, \hat{S})). \quad (8)$$

Proof: Refer to Appendix.

The distortion rate work in (8) is utilized as a part of data hypothesis to give the base normal bending caused so as to pack an arrangement of source successions. The hypothesis exhibits the numerical proportionality between the two enhancements depicted in the natural contention prior. In particular, the capacity  $d\lambda(S, S^{\wedge})$  in (7) describes the expansion in idleness in a given session  $S$ , when the watched session is  $S^{\wedge}$ . The capacity  $d\lambda(S, S^{\wedge})$  does not expressly incorporate the arrangement of secret transfers  $B$ . Nonetheless, in the verification of the hypothesis, we demonstrate that given  $S^{\wedge}$ , the arrangement of secretive transfers  $B$  is one of a kind. Therefore, the circulation  $q\alpha(B|S)$  to picked clandestine transfers is identical to the bending limiting dispersion in (8).

## 5.1 Discussion

The outcome of the association with rate-mutilation reaches out past picking undercover transfers; rate twisting is a field that has been considered for a long time, and the various models and procedures grew in

that, could serve to plan methodologies for course obscurity. The type of the rate-mutilation issue utilized as a part of this work is a slight alteration of traditional rate-contortion, because of the nearness of side data  $L$  gave by bundle headers. In any case,  $L$  is a deterministic capacity of  $S$ , and is accessible to the system fashioner too. Accordingly, the Blahut-Arimo to calculation utilized as a part of standard rate-twisting advancement gives an effective iterative method to portray the achievable system inactivity  $\Delta(\alpha, \lambda)$  and acquire the ideal booking procedure  $q\alpha(B|S)$ .

Our supposition of an omniscient foe is exceptionally preservationist, and commonly a meddler would just screen deliberately picked segments of the system. We trust that our scientific approach can be reached out to model such obliged spies too. In particular, if the meddler screens an irregular subset of hubs, at that point her perception, as of now spoke to utilizing the combine  $S^{\wedge}, L$ , would compare to an arbitrary capacity of  $S^{\wedge}, L$  relying upon the division of observed hubs (portion here just alludes to number of hubs and not the genuine arrangement of hubs). A comparative approach can be embraced to demonstrate dynamic foes. In the event that a spy were to trade off a subset of transfers, in this way noteworthy two-jump data, at that point the deduction along these lines got can be displayed as obscure side data accessible to the foe. Breaking down these broadened models is however not direct, since the arrangement of checked hubs could be picked relying upon the ideal dispersion of secret transfers.

Note that our approach of making transmission plans measurably free, expect that the meddler can recognize even the scarcest of relationship. As a rule, identifying conditions crosswise over transmission plans is a difficult issue, particularly when dummy transmissions are permitted. There has been critical progressing exertion in utilizing data theoretic techniques for this reason, with regards to recognizing clandestine planning channels. Our



approach while traditionalist, furnishes an achievable quality of-benefit with provable obscurity in a system.

## VI. CONCLUSION

One of our key commitments in this work is the hypothetical model for secrecy against movement examination. To the best of our insight, this is the primary expository metric intended to gauge the mystery of courses in a listened stealthily multihop arrange. In light of the metric, we composed planning and transferring methodologies to limit organize dormancy with an ensured level of secrecy. Despite the fact that we consider particular limitations on sham transmissions and the session models, the thoughts of secretive handing-off and the randomized choice are very broad. An imperative future heading is to consider spies who watch the system for long terms of time. This requires a dynamic session display, where it is critical to keep up obscurity of courses under changes in sessions because of hubs consummation or beginning correspondences.

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