

Effect of Soil Structure Interaction on Steel Moment Resisting Frame Designed By Performance Based Plastic Design Method

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ABSTRACT

This paper presents study of seismic design considerations and design methodologies for steel moment resisting frame by performance based plastic design method with consideration of soil structure interaction. Performance-Based Plastic Design (PBPD) method has been recently evolved from the Performance based seismic design (PBSD) to achieve enhanced performance of earthquake resistant structures considering the participation of inelastic state of the material. The concept of design is mainly based on pre-selected target drift and yield mechanism as performance criteria. Performance Based Plastic design depends on "strong columnweak beam" theory, in which the pattern of failure is pre-determined. The various parameters of soil structure when included in PBPD method gives better approach towards the method. A brief study on effects of soil structure interaction on steel moment resisting frame is presented in this paper.

Keywords: Pre-selected target drift, Yield mechanism, Strong column-weak beam concept, steel moment resisting frame, PBPD, soil structure interaction

I. INTRODUCTION

It is well recognised that structures designed by current codes as expected to undergo large inelastic deformations during major earthquakes. However, seismic design approach is generally built on based on elastic structural behaviour and accounts for the inelastic behaviour in a somewhat implicit and indirect manner.

To solve the problem of undesirable and unpredictable responses of a structure to get more predictable structural performances a complete new methodology in which no need of any assessment or interaction is required after initial design and which directly acts for structural inelastic behaviour. This method is called PERFORMANCE BASED PLASTIC DESIGN method (PBPD)[3],which is based on pre-selected target drift and yield mechanism. In PBPD method calculation of design base shear is done by equating the work needed to push the structure monotonically up to the target drift to the energy needed by an Equivalent Elastic-Plastic single degree of freedom system (EP-SDOF).

In this method a new lateral force distribution is adopted which is based on relative distribution maximum story shears. In order to achieve the

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aim detailing of frame members and connections is done by plastic design. The concept of performance based seismic design is becoming prominent to provide engineers with the capability of designing structures that have a predictable and reliable performance in earthquakes.

In the past some decades, may studies have been conducted on Strength reduction factor $(R\mu)$. It was seen that when soft soil is consider there is significant effect of strength reduction factor on it. It is also observed that SSI have Severe effect on ductility demand of structures. Researchers concluded that Soil structure interaction decreases the values of strength reduction factor specially in case of soft soils.





FIG: Soil structure model for sway and rocking motion for SDOF and MDOF systems.

II. METHEDOLOGY

The Performance-Based Plastic Design Method has suggested by Goel and Chao, 2009. IN PBPD Method the structure is designed for predetermined target drift and yield mechanism. Due to this prevention of total collapse is done. There are no guidelines available in our recent Indian codes about PBPD method so it is advisable to calculate base shears and lateral forces and its distribution force as per suggestions given by Chao, 2007. The calculation of axial forces and beam and column moments is also calculated as per suggestions given by Chao, 2006.

III. LATERAL FORCES AND VERTICAL DISTRIBUTION

For various loading classes specified in IS 875, design seismic force shall be estimated as given in table 7 of IS 1893-2016. The seismic weight of each floor is calculated by appropriately apportioning the weight of columns and walls in any story to the floors above and below the story. The seismic weight of the building is the sum of seismic weight of all floors.

Fundamental Natural Time Period (T) for RC frame can be calculated as per IS-1893-2016 clause 7.6.2(c).

 $T = 0.085 h^{0.75}$

Where, h = height of structure (in m)

Selecting a desired **Target Yield Mechanism** for design earthquake hazard. Figure shows the design yield mechanism of steel moment resisting frame which is subjected to lateral forces and pushed through plastic drift " Δp ".



Fig: Pre-Selected Yield Mechanism of steel

Moment Frame

Calculation of shear distribution factor " β i" of each floor. [4]can be done by

$$\beta i = \frac{v_i}{v_n} = \big(\frac{\sum_{j=1}^n w_j h_j}{w_n h_n}\big)^{0.75\,\mathrm{T}^{-0.2}}$$

Where,

 β_i = Shear distribution factor at level i ,

V_i = Story shear force at level i,

 $V_{n} = \mbox{Story shear force at roof level (nth level)}, \label{eq:Vn}$

 \mathbf{w}_j = Seismic weight at level j ,

h_j = Height of level j from base,

w_n = Seismic weight at the top level,

 $h_{\mbox{\scriptsize n}}$ = Height of roof level from base ,

T = Fundamental time period.

Calculation of A_h (Dimensionless parameter) can be carried out by following formula

$$A_{h} = (\sum_{i=1}^{n} (\beta_{1} - \beta_{i-1})h_{i}) \cdot (\frac{w_{n}h_{n}}{\sum_{j=1}^{n} w_{j}h_{j}})^{0.75 \text{ T}^{-0.2}} \cdot (\frac{\theta_{p} 8\pi^{2}}{T^{2}g})$$

Where,

 θp = global inelastic drift ratio of the structure($\theta u - \theta y$),

 θ u = Target drift Ratio, θ y = Yield drift Ratio, β i = Shear distribution factor at level I, g = Gravitational Acceleration.

-)* W

Calculation of Story shear "Vb" [2]

$$Vb = \left(\frac{-A_h + \sqrt{A_h^2 + 4YSa^2}}{2}\right)$$
$$\Upsilon = \frac{2\mu_g - 1}{R_\mu^2}$$

Sa, inelastic =
$$\frac{S_{a, elastic}}{R_{\mu}}$$

Where,

Vb = Base shear force,

 $\begin{array}{ll} \gamma &= Energy \ modification \ factor \ , \mu_s = Structural \\ ductility \ Factor = \theta_u \ / \ \theta_y \ , \end{array}$

 $\theta_{\rm u}$ = Target drift Ratio ,

 θ_y = Yield drift Ratio ,

 R_{μ} = Ductility Reduction factor ,

Sa inelastic = Spectral acceleration due to inelastic response,

 V_{b} = total story shear at base ,

W = Total design Seismic Load.

 $R\mu$ is related to time period of structure and can be obtained by using inelastic spectra [8].

$$R\mu = a_i T^{bi}$$

Where,

T = Fundamental period of the corresponding fixed-base structure,

 $a_i \& b_i$ = Constant coefficient, which depend on ductility ratio, aspect ratio, number story and equivalent frequency.

Calculation of the Design Lateral force " Q_n " of Roof Floor.

$$Q_n = \frac{V}{\sum(\beta_i - \beta_{i+1})}$$

Where,

 Q_n =Lateral Force at n^{th} level (roof level)

Calculation of the Design Lateral force " Q_i " of each level.

$$Q_i = Q_n \left(\beta_i - \beta_{i+1} \right)$$

Where,

 Q_i =Lateral Force at i^{th} level

Analysis of Beams

Calculation of required plastic moment of column (M_{pc})

$$M_{pc} = \frac{1.1 V' h_1}{4}$$

Where,

$$V' = \frac{v_b}{\text{number of bays}}$$

 h_1 = Height of the first story

Calculation of required moment strength of beam (M_{pb})

$$M_{pb} = \frac{\sum_{i=1}^{n} Q_i h_i - 2 M_{pc}}{2 \sum_{i=1}^{n} (\beta_i \frac{L}{L_i})}$$

Where,

 Q_i = Lateral Force at i^{th} level,

h_i = Height at ith level,

 $M_{\rm pc}$ = Required plastic moment of column,

 β_i = Shear distribution factor at level i ,

L = Distance between two column,

L'= Distance between centers of RBS cuts.

Design of Beams:

After getting required moment strength of beams, beams are to be designed as per IS-800:2007 (clause 8.2 for flexure and clause 8.4 for shear and checked for deflection as per clause 5.6.1.) and Reduced Beam Section is consider as per ANSI/AISC 358-05.



Fig: Reduced Beam Section

 $\begin{array}{l} 0.5 b_{\rm bf} \leq a \leq 0.75 b_{\rm bf} \\ 0.65 d \leq b \leq 0.85 d \\ 0.1 b_{\rm bf} \leq c \leq 0.25 b_{\rm bf} \end{array}$

Where,

 b_{bf} = Width of beam flange,

d = Depth of beam section,

a = Distance of cut at the face of column to start of RBS cut ,

b = Length of RBS cut,

c = Depth of cut at center of reduced beam section , $S_h = Distance$ from column face to center of Reduced beam section cut which is equal to a+b/2.

Calculation of plastic section modulus at the center of RBS (Z_e).

$$Z_e = Z - 2ct_{\rm bf}(d - t_{\rm bf})$$

Where,

 Z_e = Plastic section modulus at center of the reduced beam section,

Z = Plastic section modulus for full beam cross-section.

Calculation of the probable maximum moment $(M_{\rm pr})$ at the center of RBS.

$$M_{\rm pr} = C_{\rm pr} R_{\rm y} F_{\rm y} Z_{\rm e}$$

Where,

 $C_{\rm pr}$ = Factor of peak connection strength

= 1.0 for roof beam

= 1.075 for other beam

 $R_y = 1.1$, which is ratio of expected yield stress to specified min. yield stress.

Calculation of shear force at the center of RBS: It is determined by free-body diagram of the portion between the center of RBS.



Fig: Free-Body Diagram between Center of RBS and Face of Column

Calculation of the probable maximum moment at the face of the column can be done by,

Analysis of Column:

Calculation of the sum of lateral forces (F_L) for Exterior Column Tree.

$$F_L = \frac{\sum_{i=1}^{n} (M_{pr})_i + \sum_{i=1}^{n} (V_{RBS})_i (S_h + \frac{d_c}{2})_i + M_{pc}}{\sum_{i=1}^{n} \psi_i h_i}$$

Where,

 M_{pr} = Probable maximum moment at the centre of RBS,

 V_{RBS} = Shear force at the center of RBS ,

 $S_{\rm h}=$ Distance from a column face to the center of RBS cut = a + b/2 ,

 $d_{\rm c}$ = Depth of the column , $M_{\rm pc}$ = Required plastic moment of column

$$\begin{split} \psi_i &= \frac{(\beta_i-\beta_{i+1})}{\sum_{i=1}^n(\beta_i-\beta_{i+1})} \end{split}$$
 When $i=n,\,\beta_{i+1}=0$

Calculation the sum of lateral forces (F_L) for Interior Column Tree.

$$F_{L} = \frac{2\sum_{i=1}^{n} (M_{pr})_{i} + \sum_{i=1}^{n} [(V_{RBS})_{i} + (V'_{RBS})_{i}] \cdot (S_{h} + \frac{d_{c}}{2})_{i} + 2M_{pc}}{\sum_{i=1}^{n} \psi_{i} h_{i}}$$

Where,

 V'_{RBS} = Shear force at the center of RBS ,

 $d_c = Depth of the column$,

 $M_{\rm pc}$ = Required plastic moment of column

$$\psi_i = \frac{(\beta_i - \beta_{i+1})}{\sum_{i=1}^n (\beta_i - \beta_{i+1})}$$

When
$$i = n$$
, $\beta_{i+1} = 0$



Fig : Free body diagram of exterior and interior column tree

Calculation of Total axial Force on a column section (N) can be done by,

$$N = \sum_{i=1}^{n} P_{ci} + V_{RBS} \qquad OR$$
$$N = \sum_{i=1}^{n} P_{ci} - V'_{RBS}$$

Where,

 $(P_c)_i = Axial$ force on column section

Calculation of Total bending moment on column section (M) can be done by,

$$M = (V_{RBS} + V'_{RBS})(S_h + \frac{d_c}{2}) + M_{prRBS} + \psi_i F_L h_i$$

Design of Column:

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After getting the proper design bending moments, shear force and axial force for columns by Freebody diagram, the columns are designed for axial load only as per clause 7.1 of IS 800:2007.

IV. SUMMARY

Proper design methodology for steel moment resisting frames using PBPD method with soil structure interaction proposed by researchers have been briefly reviewed in this paper. It is important to note that in the beginning itself drift control and yielding is taken into account in PBPD method, so at final design steps there is no need for more and lengthy iterative process. It should also be noted that no proper research has been done in the direction of considering soil structure interaction in PBPD method, so more research in this direction is required. The main effect was about Soil structure interaction is that it decreases the value of strength reduction factor specially in case of soft soils.

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